



**University Of Technology**  
**Building and Construction Eng.Dept.**  
**Final Exam 2015/2016**



**Subject : Field Astronomy**  
**Branch : Geomatic**  
**Examiner : Dr. Oday Z.Jasim**

**Class: Three**  
**Time : 3 Hours**  
**Date : 11 / 6 / 2016**

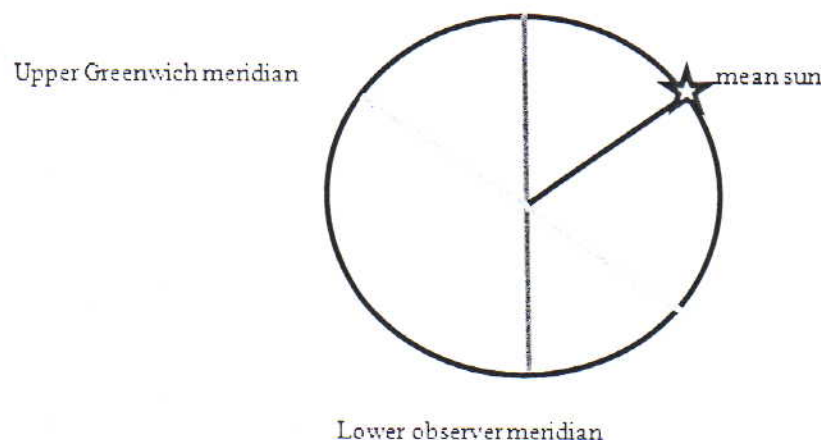
**Note: Answer Four questions only**

**Q1)** Write the equations of determining the azimuth for the both cases of determining the azimuth of the true meridian by observation on star at equal altitudes .Draw the figures for the both cases.

(25 marks)

**Q2)** In the following figure:

- Define (Local mean time , Greenwich hour angle, Local hour angle)
- Complete (where are) all the elements in this figure (G.M.T, L.M.T,  $\lambda$  E, G.H.A, L.H.A).
- Write the equation of the L.M.T with respect of (G.M.T,  $\lambda$  E).
- What is the G.H.A. at midnight and noon.
- Write the equation of the G.M.T with respect of (G.H.A).
- If the hour angle of the mean sun is  $195^\circ$ , what will be the mean time?



(25 marks)

**Q3)** Answer the following:

- Define the equation of time.
- Why the amount of the equation of time variation all the year, due to?
- Explain with equations and drawing figure, the equation of time due to obliquity of the ecliptic for the year.
- Show how to get the equation of time due to right ascension of mean sun ,true sun for the period ( 21/3 till 21/6).
- When the equation of time will be vanishing?

(25 marks)

**Q4A):** Fill the blank with the suitable Phrase or word or numbers:

- The angle of the sun beam at Equator in Autumn equinox is ....., while in Winter solstice is nearly .....
- The length of daylight at summer solstice in Tropic of Capricorn is ..... hour and ..... minutes.
- Zone 1 in UTM lies from ..... to ..... and Zone 60 lies between ..... and .....
- At sun set ,if the declination is south of equator , the magnitude of Azimuth will be ....., and Hour angle will be .....

**Q4B):** Show by equations and figure ,how the altitude of the pole is always equal to the latitude of the observer

(25 marks)

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**Q5A):** Calculate the azimuth of a star of declination  $73^{\circ}17'$  at eastern elongation in a place of latitude of  $44^{\circ}55'N$

**Q5B):** What is the hour angle of the Sun at Local Sidereal Time  $9^h$  and the Sun at 21 of September

(25 marks)

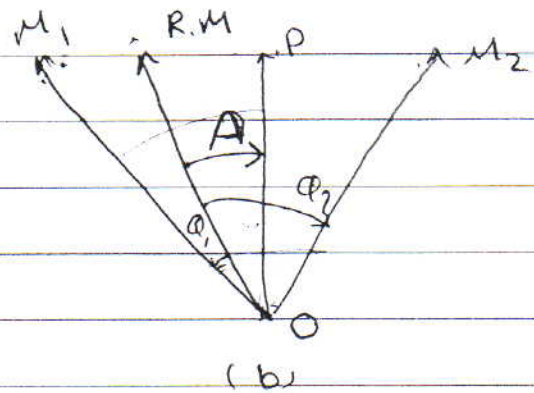
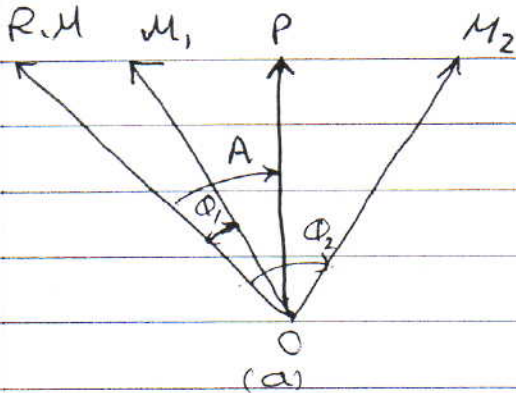
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*Good Luck*



حل اسئلة مادة الفلك الى صف ثلثه فرع الجيواسترونوميا  
المعلم بالثقة المبرور - ٢٠١٥ - ٢٠١٦

Q1



Case I: Both positions of the stars to the same side in Fig (a)

$$\phi_1 = \angle ROM_1$$

$$\phi_2 = \angle ROM_2$$

$A = \text{Azimuth} = \angle ROP$  where P is the pole

$$A = \phi_1 + \frac{\phi_2 - \phi_1}{2} \Rightarrow A = \frac{\phi_1 + \phi_2}{2}$$

in case I  $\Rightarrow$  the azimuth of the line is equal to half the sum of the two observed angles

Case II

Both position of the stars are on opposite sides of the line in Fig (b)

$$A = \left( \frac{\phi_1 + \phi_2}{2} \right) - \phi_1$$

$A = \frac{\phi_2 - \phi_1}{2}$  hence the azimuth of line is equal to half the difference of

Q2 a.

Local mean time: L.M.T is reckoned from lower observation meridian (midnight) to the mean sun

Greenwich hour angle G.H.A

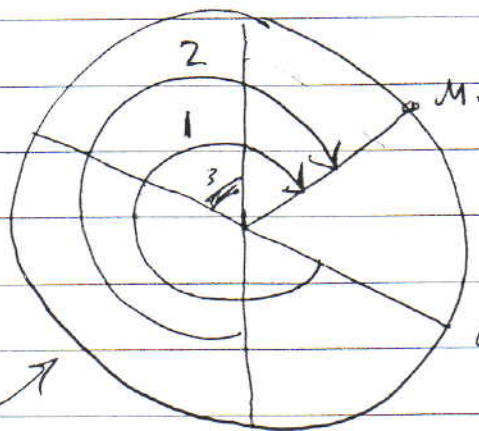
is measured clockwise from upper greenwich to the meridian of celestial body

Local hour angle L.H.A

is measured from upper observation meridian to the meridian of body clockwise

b.

upper  
Greenwich  
mer.



lower  
greenwich  
mer.

1 = G.M.T

2 = L.M.T

3 =  $\Delta E$

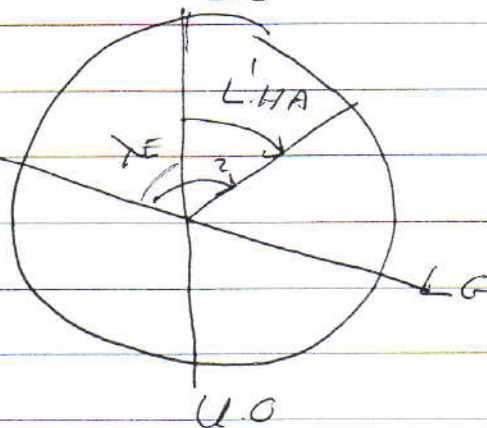
Lower  
obser.  
mer.

L.O.

1 = L.H.A

2 = G.H.A

U.G.



U.O.

Q2 C.  $L.M.T. + \lambda_E = G.M.T$

d.

G.H.A at midnight =  $12^h$

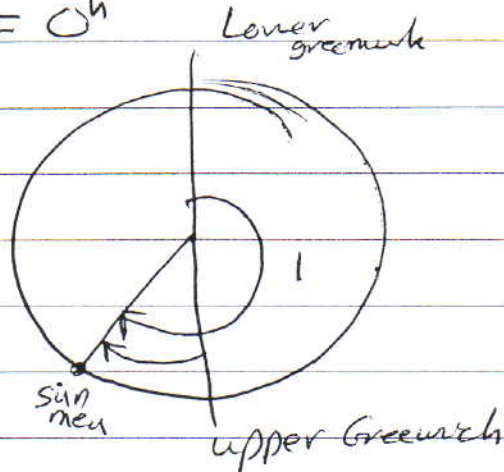
G.H.A at noon =  $0^h$

10

1 = G.M.T

2. G.H.A

$\therefore GMT = G.H.A + 12^h$



f  $mt = h.t._{sun} + 12^h$

$= (195^\circ) 13^h + 12^h$

$= 25^h$

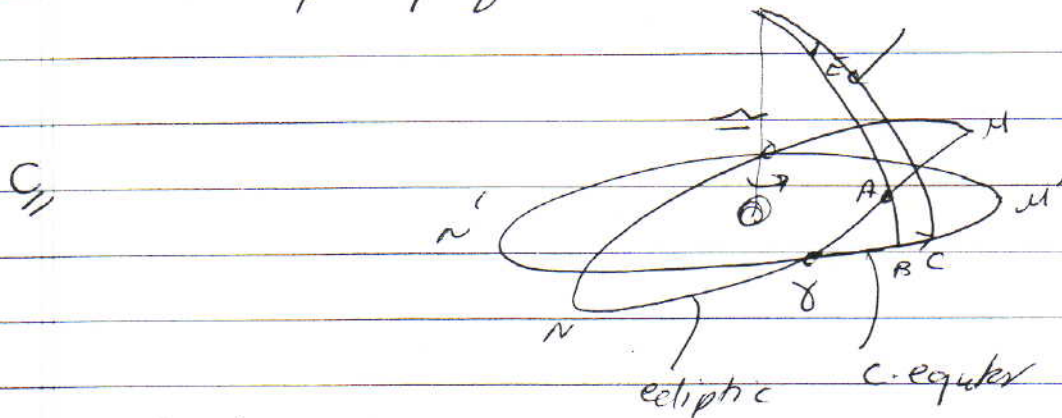
$= 10 \text{ clock mean time after midnight (next day)}$



Q3 a. The difference between the mean <sup>True</sup> Sun and the apparent solar time at any instant is Equation of Time

b) The amount of equation of time variation due to

1. obliquity of the ecliptic
2. ellipticity of the orbit



A = true sun  
C = mean sun

$$\bar{E} = \mu T - \Pi$$

$$d_{//} \text{ Eq. } T = R_{ms} - R_{Ts}$$

$$\text{Eq. 7} = \gamma_c - \gamma_B$$

$e_{||}$  Eq. T vanishes at equinoxes  $\sim$ , &  
solstices

mid of April and June

mid of April and June  
Beginning of September and end of December

(4)

A

a

b

c

d

$90^\circ$

$66.5^\circ$

$10^h 33^m$

$180^\circ W$  to  $174^\circ W$ ,  $174^\circ E$ ,  $180^\circ E$

$A = 90 \leq A \leq 180$

$H = 0 \leq H \leq 90$

B

eq = c. equator

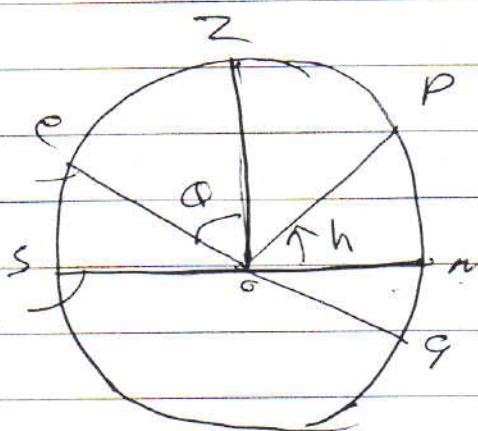
SN = horizon

O = center of earth

Z

c. eq.

Horiz



$\angle EOZ = \phi$  latitude of observer

$PON = h$  = altitude of pole

$EOP = 90 = ZOP + ZO\bar{E}$

$90 = \phi + ZOP$  — (1)

$NOZ = 90 = NOP + ZOP$

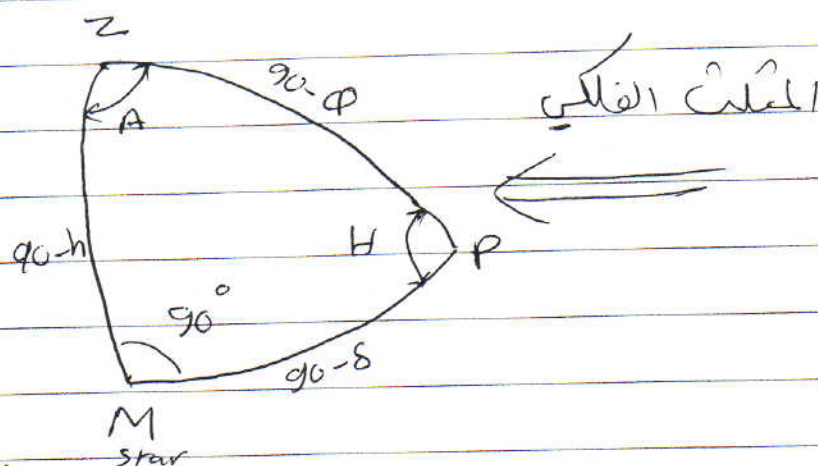
$90 = h + ZOP$  — (2)

$\sim \phi + ZOP = h + ZOP$

$\therefore \phi = h$

Q5

A



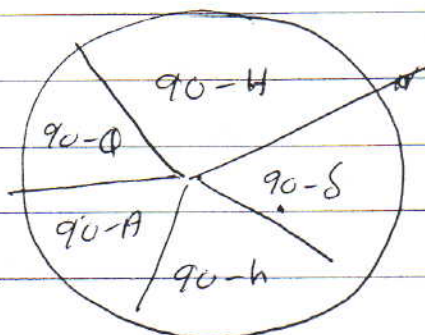
$$\phi = 44^{\circ} 55' N$$

$$\therefore 90 - \phi = 45.083^{\circ}$$

$$\delta = 73^{\circ} 17'$$

$$\therefore 90 - \delta = 16.716^{\circ}$$

لأنه هناك مثلث قائم الزاوية  
نطبق عليه مثلث نايفير



$$\sin(90 - \delta) = \cos \delta \quad \text{المثلث نايفير}$$

$$= \sin A$$

$$\cos \delta = \cos(90 - A) \cos(90 - \phi)$$

$$\cos \delta = \sin A \sin \phi$$

$$\sin A = \frac{\cos \delta}{\sin \phi} \Rightarrow A = \underline{\underline{24.040^{\circ}}}$$



Q5

B

$$\therefore L.S.T = 9^h$$

at 21/6

$$\text{Right ascension} = 6^h$$

$$L.S.T = H + R_a$$

$$9 = H + 6$$

$$\therefore H = 9 - 6$$

$$= 3^h$$

$$\therefore \text{Hour angle of the sun} = 3^h$$