



**University Of Technology**  
**Building and Construction Eng. Dept.**  
**Final Exam – 1<sup>st</sup> Attempt – 2014/2015**  
Branch : San. & Env. Eng.      Class: 3<sup>rd</sup>  
subject : Networks of Water      Time : 3 hr  
Examiner : S.A. Al-Bayati, Ph.D.      Date : 31/5/ 2015

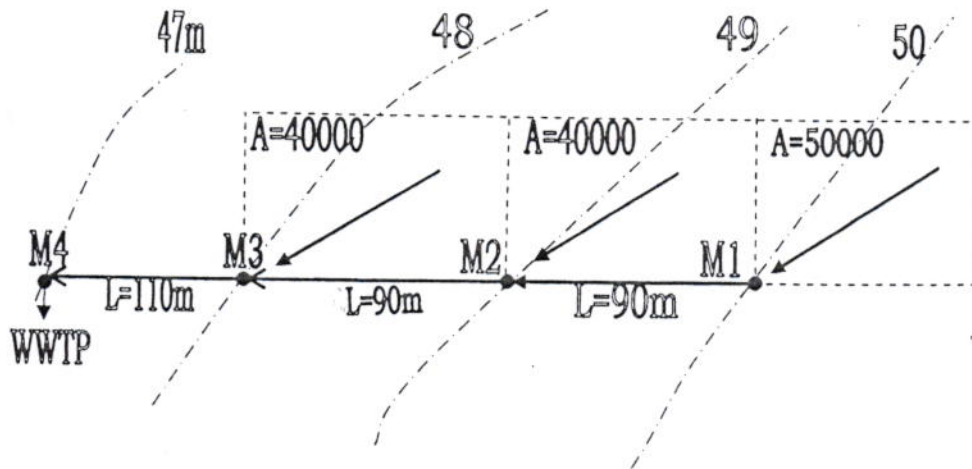


ملاحظات: ١. أجب عن خمسة أسئلة بضمنها الأول. ٢. الدرجات موزعة بالتساوي على الأسئلة.

٣. تعداد الأسئلة والمرفقات كافة (دون كتابة عليها) وسط الدفتر الامتحاني. الاسم: *[Signature]*

**Q.1** Design a sanitary sewer system (3- pipelines) for the residential area shown below (M=manhole, A=area (m<sup>2</sup>) & L=pipe length between two manholes). The conditions are:

1. min. sewer size = 200mm.
2. roughness coefficient,  $n = 0.013$
3. min. velocity = 0.6m/s
4. min. allowable cover over the crown = 1.9 m
5. max. population density = 11000p /km<sup>2</sup>.
6. max. rate of sewage flow + infiltration = 1600 L/day.capita [20%]



**Q.2** A water supply system serving a city with: average daily demand = 160L/s, max. daily demand = 250L/s, & peak hourly demand = 340L/s. Required fire flow 280L/s resulting in a max. 4h rate of 530L/s (max. daily demand + fire flow). The required min. pressure in the main city center is 34m except during fire flow. The piping system diameter is 550mm with Hazen Williams coefficient,  $C = 100$ . Distance between pumping station and city center is 7.5km. Consider the system with storage, and find the pumping heads for this case **only**. Use storage= 3500m<sup>3</sup>, with elevation = 36m, at 2.5 km beyond load center. [20%]

**Q.3** Analyze the shown network by Section Method. The hydraulic gradient is 0.0023. Use  $C = 100$  in Hazen Williams formula & maximum daily use is

[20%]

[10%]

## [10%]

[10%]



ht det

Q.1

Line No	From M	To M	length m	Inc. of area $m^2$	Inc. Pop. person	Total Tribi P-P. person	Sewage flow L/day	Sewage flow $m^3/min$
1	1	2	90	50000	550	550	880000	0.61
2	2	3	90	40000	440	990	1584000	1.10
3	3	4	110	40000	440	1430	2288000	1.59

Line No	G.E		Dia mm	Grade of Sewer	Fall m	$V_f$ m/s	$Q_f$ $m^3/min$	$Q/Q_f$	$V/V_f$	$V$ m/s
	Upper	Lower								
1	50	49	200	0.005	0.45	0.77	1.55	0.39	0.8	0.62
2	49	48	200	0.0065	0.59	0.85	1.7	0.65	0.93	0.79
3	48	47	200	0.0095	1.05	1.05	2.0	0.8	0.97	1.02

Line No	Inv. E.	
	Upper	Lower
1	47.9	47.45
2	47.45	46.86
3	46.86	45.81

Q.2

- Av. daily d. (160 l/s)

4

$$P.h. = 36 + 1.3 \times 7.5 = \underline{45.75 \text{ m}}$$

- Max. daily d. (250 l/s)

4

$$P.h. = 36 + 2.0 \times 7.5 = \underline{51.5 \text{ m}}$$

- Peak hourly d. (340 l/s)

P. design on max. daily = 250 l/s

$$\text{From storage} = 340 - 250 = 90 \text{ l/s}$$

$$H.G.L. \text{ at head center} = 34 - 0.45 \times 2.5 = 32.9 \text{ m}$$

6

$$P.h. = 32.9 + 3 \times 7.5 = \underline{55.4 \text{ m}}$$

- Max. daily d. + fire flow (530 l/s)

$$S. \text{ Fire flow} = \frac{3500 \text{ m}^3}{4} \frac{\text{h}}{3600 \text{ s}} \frac{1000 \text{ L}}{\text{m}^3} = 243 \text{ l/s}$$

$$H.G.L. \text{ at load center} = 34 - 2.8 \times 2.5 = 27 \text{ m}$$

$$P. \text{ rate} = 530 - 243 = 287 \text{ l/s} > 250 \text{ l/s}$$

increase pump capacity, P.h. =  $27 + 3.9 \times 7.5$   
to 287 l/s  $= 56.3 \text{ m}$

6

Q.3

Section a-a

- Demand:  $21000 \times 10^{-6} \times 160 + 6.1 = 9.46 \text{ mgd}$
- pipes: 1-28"  $\Rightarrow$  Diagram  $\rightarrow Q = 10 \text{ mgd}$
- Deficit =  $9.5 - 10 = -0.5 \text{ mgd}$
- 28" must carry  $Q = 9.5 \text{ mgd}$  with  $h_c = 0.00224 V^{3.5}$   
ok.  $\frac{4}{8}$

Section b-b

- $17000 \times 10^{-6} \times 160 + 6.1 = 8.82 \text{ mgd}$
- pipes: 2-20"  $\rightarrow Q = 2 \times 4.6 = 9.2 \text{ mgd}$   
2-6"  $2 \times 0.17 = 0.34 \text{ mgd}$   
9.5 mgd
- Def:  $8.8 - 9.5 = -0.7 \text{ mgd}$
- 20" & 6" must carry  $Q = 8.8 \text{ mgd}$  ok

Section c-c

- ~~77000~~  $77000 \times 10^{-6} \times 160 + 6.1 = 7.22 \text{ mgd}$
- 2-18"  $\rightarrow Q = 2 \times 3.2 = 6.4 \text{ mgd}$   
6-6"  $6 \times 0.17 = 1.0 \text{ mgd}$   
7.4 mgd
- $7.22 - 7.4 = -0.2 \text{ mgd}$
- 2-18" & 6-6" must carry  $Q = 7.2 \text{ mgd}$  ok

Q.4

$$a) Q = 4 B h^{1.522} B^{0.026}$$

$$30 = 4(2) h^{1.522(2)^{0.026}}$$

$$h = \left(\frac{15}{4}\right)^{\frac{1}{1.5497}} = 2.35 \text{ ft}$$

- b)
1. PVC pipe is heated & folded into a smaller dia. at the factory.
  2. Pipe must be brushed & cleaned
  3. PVC pipe is pulled into sewer.
  4. PVC pipe is heated & pressurized to unfold & form to the shape of host pipe.
  5. PVC pipe is coiled.
  6. open laterals with robotic machines.



Q.5

a. From Table (5)

$$\frac{57}{152} - \frac{x}{2} \Rightarrow x = \frac{57 \times 2}{152} = 0.75 \text{ kPa}$$

$$(P_b)_{\text{table}} = 96 + 0.75 = 96.75 \text{ kPa}$$

$$P_b = 96.75 - 3.5 = 93.25 \text{ kPa}$$

$$\text{Table (6)}: x = \frac{3.3 \times 2.27}{5.5} = 1.36 \Rightarrow P_v = 7.45 \text{ kPa}$$

$$NPSH_{av} = P_b + P_s - \text{losses} - P_v$$

$$= 93.25 + (-P_s) - 20 - 7.45 = 65.8 - P_s$$

$$NPSH_{req.} = 42 = 65.8 - P_s \Rightarrow P_s = 23.8 \text{ kPa}$$

b. c- valve is used to permit flow in one direction. It opens under the influence of pressure & closes automatically when flow ceases.

Centrifugal pump: Contains volute, & impeller, gives high head.

flushing d. : automatic flush tank, used at upper end of laterals, in sewer system.

Sag pipe : It used to pass the sewer under obstruction, highway or river.

Q.6

a)  $A = 6(800) + 4(850) = 8200 \text{ m}^2$

$$\frac{6(800)}{8200} = 0.585$$

$$, \frac{4(850)}{8200} = 0.415$$

$$F = 3.7 [0.585(1) \sqrt{8200} + 0.415(0.6) \sqrt{8200}] = 279 \text{ l/s}$$

$$< \begin{matrix} 500 \text{ l/s} \\ 380 \text{ l/s} \end{matrix}$$

b) w.H : automatically controlled valves  
pressure relief valve  
vacuum relief valve  
Surge Tank & air chamber.

Rational method : It relates flow to rainfall intensity, tributary area & coefficient of runoff,  $Q = CIA$ .

PPS usefulness: provide information on  
structural damage, blockages,  
sediments, large cracks,  
& location of lateral lines.

Open wells advantages :

Not required sophisticated equipment  
& skilled personal for construction  
Easy operation by man, animal power,  
can be modified. simple pumps