



University of Technology
Building and Construction Eng. Dept.
Final Exam - First Attempt - 2010/2011



Subject : Highway Engineering
Branch : Structural Engineering
Examiner : A.L. Ahmed Subhi

Class: 3rd
Time : 3 Hours
Date : 6 / 6 / 2011

Only Four Questions are required

Q-1/

- (A) What do we mean by the Right of Way (ROW)? Explain and draw a suitable sketch showing it.
- (B) Draw a suitable sketch showing the typical layers of a flexible pavement with the range of thicknesses for each layer, and what is the purpose of tack coat and prime coat?
- (C) What do we mean by vehicles skidding or slipping? And what are the main factors affecting on friction.
- (D) Explain with suitable sketches the spread of the wheel load through the pavement and the pavement deflection under loads. (25 marks)

Q-2/ An 8° (metric) horizontal circular curve turns around a building. The clearance distance from the building to the inner edge of the pavement is 20 meters. The curve is superelevated at a rate of 5cm. per meter. Determine the safe driving speed on this curve, given that length of curve is 300 meters.

- Note: the road consists of two lanes (each lane 4 meters in width).
- Safe coefficient of side friction = 0.15.
- Safe coefficient of skidding friction = 0.3. (25 marks)

Q-3/

- 1- Design a flexible road for a design life of 25 years to carry 2500 heavy commercial vehicles / day in each direction at the time of construction. The traffic is expected to grow at a rate of 3 % per year CBR of subgrade was found to be equal to 9%.
- 2- And what would be the minimum CBR required for the subbase material?
- 3- How would the design be altered if the subgrade CBR was 35 %?

Initial traffic (cm./day)	Equivalent factor no. of st. axles /c.v.
> 2000	2.75
≤ 2000 & > 1000	2.25
≤ 1000 & > 250	1.25
All other (≤ 250)	0.75

(25 marks)

Q-4/

(A) 500 ft. long equal tangent crest vertical curve connects tangents that intersect at station 340 + 00 and elevation 1322 ft. The initial grade is +4.0% and the final grade is -2.5%. Determine the elevation and stationing of the high point, PVC, and PVT. (12 marks)

(B) A pavement of 30 cm. thickness and modulus of elasticity of 3500 kg/cm². This layer over a subgrade of modulus of elasticity of 700 kg/cm². Find the surface deflection under the center of a tyre with tyre pressure of 6.0 kg/cm² and a circular contact area of 707 cm². (13 marks)

Q-5/ An equal tangent sag vertical curve is designed with the PVC at station 109 + 00 and elevation 950 ft, the PVI at station 110 + 77 and elevation 947.34 ft. and the low point at station 110 + 50 ft. Determine the safe sight distance on this curve. (25 marks)

$$L = \frac{AS^2}{152.44} + 3.5S$$

$S < L$

$$L = 2S - \frac{152.44 + 3.5S}{.4}$$

$S > L$

$$M = R \left(1 - \cos \frac{28.65S}{R} \right)$$

$$SSD = 2.5V' - \frac{V'^2}{2fg}$$

Level

$$SSD = 2.5V' + \frac{V'^2}{254(f - G)}$$

Up grade

$$D = \frac{5729.58}{R}$$

$$L = \frac{2\pi R \Delta}{360}$$

$$l = \frac{100\theta}{D}$$

$$T = R \tan \frac{\Delta}{2}$$

$$E = R \left(\sec \frac{\Delta}{2} - 1 \right) \quad M = R \left(1 - \cos \frac{\Delta}{2} \right)$$

$$C = 2R \sin \frac{\Delta}{2} \quad \phi = \frac{\theta}{2} = \frac{LD}{200}$$

For any tangent distance x:

$$y = R - [R^2 - x^2]^{1/2}$$

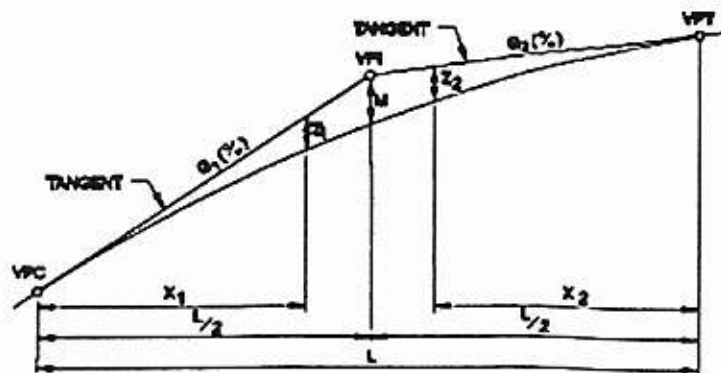
For any arc length:

$$x = R \sin \theta$$

$$y = R(1 - \cos \theta)$$

$$SSD = 2.5V - \frac{V^2}{254(f - G)}$$

Down grade



- M = External distance, ft (m)
 Z = Any tangent offset, ft (m)
 L = Horizontal length of vertical curve, ft (m)
 X = Horizontal distance from VPC or VPT to any ordinate "Z" ft (m)
 G_1 & G_2 = Rates of grade, expressed algebraically, %

NOTE: ALL EXPRESSIONS TO BE CALCULATED ALGEBRAICALLY —
(Use algebraic signs of grades; grades in percent.)

1. Elevations of VPC and VPI:

$$\text{ELEV. OF VPC} = \text{ELEV. VPI} - G_1 \left(\frac{L}{200} \right) \quad (\text{Equation 26.4-6})$$

$$\text{ELEV. OF VPT} = \text{ELEV. VPI} + G_2 \left(\frac{L}{200} \right) \quad (\text{Equation 26.4-7})$$

2. For the elevation of any point "X" on the vertical curve:

$$\text{CURVE ELEV.} = \text{TAN ELEV.} - Z \quad (\text{Equation 26.4-8})$$

Where:

Left of VPI (X_1 measured from VPC):

$$(a) \text{ TAN ELEV.} = \text{VPC ELEV.} + G_1 \left(\frac{X_1}{100} \right)$$

$$(b) Z_1 = X_1^2 \frac{(G_2 - G_1)}{200 L}$$

Right of VPI (X_2 measured from VPT):

$$(a) \text{ TAN ELEV.} = \text{VPT ELEV.} - G_2 \left(\frac{X_2}{100} \right)$$

$$(b) Z_2 = X_2^2 \frac{(G_2 - G_1)}{200 L}$$

3. Calculating high or low point in the vertical curve:

$$(a) \text{ To determine distance "X}_r\text{" from VPC: } X_r = \frac{L G_1}{G_1 - G_2} \quad (\text{Equation 26.4-9})$$

$$(b) \text{ To determine high or low point stationing: } \text{VPC Sta.} + X_r \quad (\text{Equation 26.4-10})$$

(c) To determine high or low point elevation on a vertical curve:

$$\text{ELEV. HIGH OR LOW POINT} = \text{VPC ELEV.} - \frac{L G_1^2}{(G_1 - G_2) 200} \quad (\text{Equation 26.4-11})$$

SYMMETRICAL VERTICAL CURVE EQUATIONS

Figure 26.4E

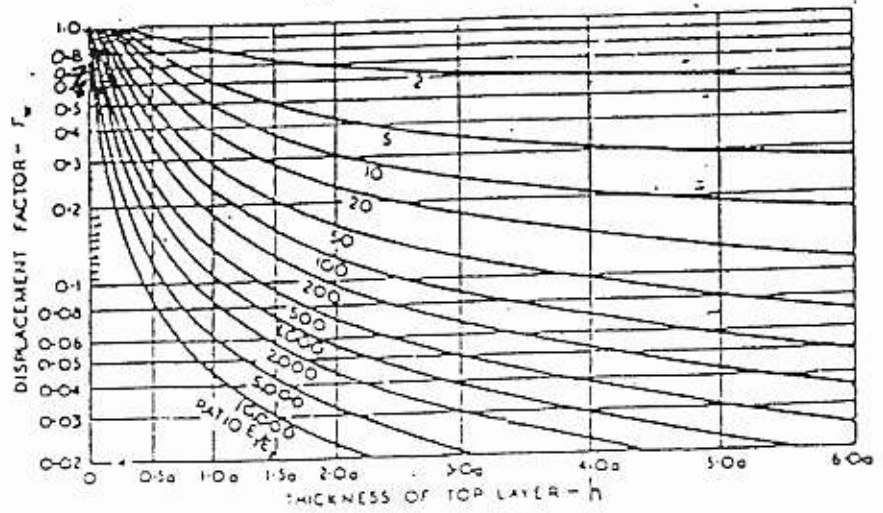
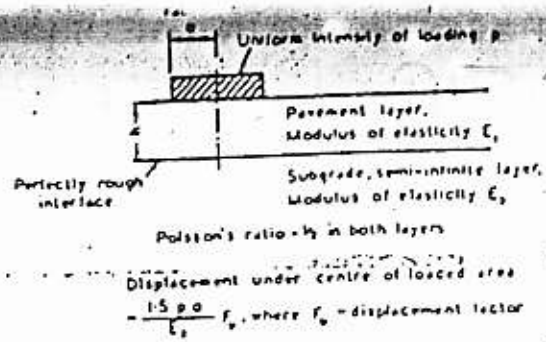


FIG. 20-13 THEORETICAL DISPLACEMENTS IN A TWO-LAYER ELASTIC SYSTEM (Burmister)

Fig. A

Growth rate 3

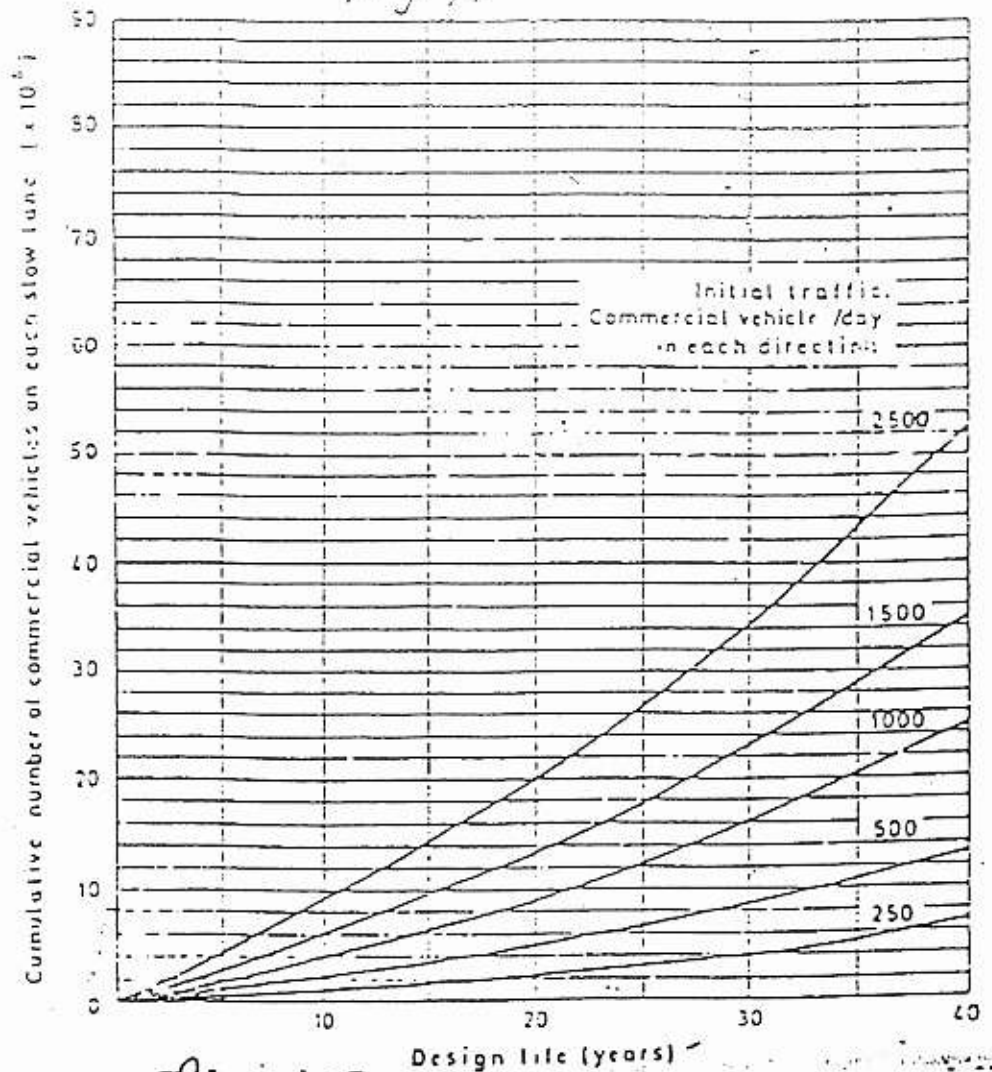


FIG. B

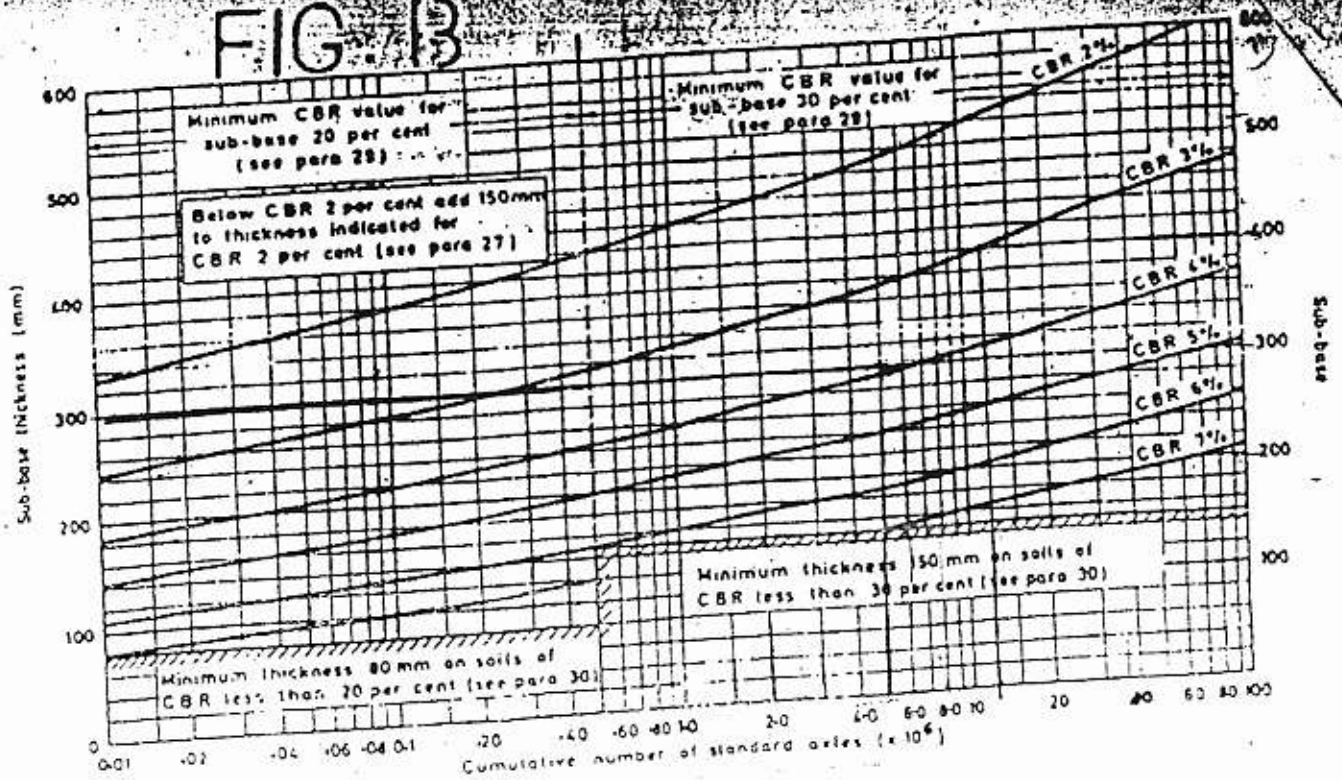


FIG. C

