

• Logical arrays:

Relational operator

<  
<=  
>  
>=  
=  
~ =

Description

less than  
less than or equal to  
greater than  
greater than or equal to  
equal to  
not equal to

logical operator

&  
|  
~

Description

AND  
OR  
NOT

في حالة مقارنة بين arrays، الناتج للعناصر لن يكون لدينا  
True (1) elements, and False (0)

EDU>> x = -3:3 % Create data

x =  
-3 -2 -1 0 1 2 3

EDU>> abs(x) > 1 % |x| =  $\sqrt{x^2}$  positive values for x  
only

ans =  
1 1 0 0 0 1 1

EDU>> y = x(abs(x) > 1) % y = x(1 2 6 7) كما نلاحظ اننا اوجد

y = -3 -2 2 3

EDU>> y = x([1 1 0 0 0 1 1])

لا يجوز استخدام الترتيب للترتيب في حالة سالب او غير  
اي لا يجوز استخدام numeric array في متغير منطقي

EDU>> y = x (logical ([1 1 0 0 0 1 1]))  
 y = -3 -2 2 3

logical arrays works on matrices, as well as vectors, also:  
 EDU>> B = [5 -3; 2 -4] % B =  $\begin{bmatrix} 5 & -3 \\ 2 & -4 \end{bmatrix}$

EDU>> x = abs(B) > 2  
 x =  $\begin{bmatrix} 1 & 1 \\ 0 & 1 \end{bmatrix}$

EDU>> y = b(x)  
 y =  $\begin{bmatrix} 5 \\ -3 \\ -4 \end{bmatrix}$

نتيجة انه نتيجة تحولت الى عمود لانه لا توجد طريقة لتعيين صفه في انه  
 على ذلك وذلك لانه لو قمنا بـ b(2) فنكتفي به

The above array-addressing techniques are summarized in the following table

### Array-Addressing

- $A(r, c)$  Address a subarray within A defined by the index vector of desired rows in r and index vector of desired columns in c.
- $A(r, :)$  Address a subarray within A defined by the index vector of desired rows in r and all columns.
- $A(:, r)$  Address a subarray within A defined by all rows and the index vector of desired columns in r.
- $A(:)$  Address all elements of A as a column vector taken column by column.
- $A(i)$  Address a subarray within A defined by the single index vector of desired elements in i, as if A was the index vector, a(:)
- $A(x)$  Address a subarray within A defined by the logical array X. X must be the same size as A.

## Subarray Searching:

Many times, it is desirable to know the indices or subscripts of those elements of an array that satisfy some relational expression. In Matlab, this task is performed by the function `find`, which returns the subscripts where a relational expression is True.

```
EDU >> x = -3:3
```

```
x = -3 -2 -1 0 1 2 3
```

```
EDU >> k = find(abs(x) > 1) % Finds those subscripts where abs(x) > 1.
```

```
k = 1 2 6 7
```

المتاح

```
EDU >> y = x(k) % Creates y using the indexes in k.
```

```
y = -3 -2 2 3
```

The `find` function also works for matrices:

```
EDU >> A = [1 2 3; 4 5 6; 7 8 9]
```

```
EDU >> [i, j] = find(A > 5)
```

```
i = 3
    3
    2
    3
```

```
j = 1
    2
    3
    3
```

Here, the indices stored in  $i$  and  $j$  are the associated row and column indices, respectively, where the relational expression is true, that is,  $A(i(1), j(1))$  is the first element of  $A$  where  $A > 5$ , and so on.

### Summary

$i = \text{find}(x)$

Return indices of the array  $x$  where its elements are non zero.

$[r, c] = \text{find}(x)$

Return row and column indices of the array  $x$  where its elements are non zero.

## Array Comparisons:

EDU >>  $A = [1\ 2\ 3; 4\ 5\ 6; 7\ 8\ 9]'$  % transpose of earlier data.

$$A = \begin{bmatrix} 1 & 4 & 7 \\ 2 & 5 & 8 \\ 3 & 6 & 9 \end{bmatrix}$$

EDU >>  $B = A .* (-1).^A$  % an array close to A.

$$B = \begin{bmatrix} -1 & 4 & -7 \\ 2 & -5 & 8 \\ -3 & 6 & -9 \end{bmatrix}$$

EDU >>  $C = 1:9$  % an array having the same values of A, but reshaped

$$C = 1\ 2\ 3\ 4\ 5\ 6\ 7\ 8\ 9$$

EDU >> `isequal(A,C)`  
ans = 0

EDU >> `isequal(A,B)`  
ans = 0

EDU >> `isequal(A,A)`  
ans = 1

EDU >> `isequal(C,C')`  
ans = 0

The `isequal` function returns logical True (1) when two arrays have the same dimensions and identical elements. Otherwise, it returns logical False (0).

EDU >> `ismember(A,B)` % note result is a column vector

ans =  
0  
0  
0  
0  
0  
0  
0

The function `ismember` identifies elements that are identical in two arrays.

EDU >> `ismember(A,C)`

ans =  
1  
1  
1  
1  
1  
1  
1

ismember returns logical True for those indices in A that are in the second argument of ismember. The two arguments need not be the same size.

30

EDU >> X = 0:2:20 % an array with 11 elements

X =  
0 2 4 6 8 10 12 14 16 18 20

EDU >> ismember(X, A)

ans =

0 1 1 1 1 0 0 0 0 0 0

is an array the same size as X, with True at common elements.

EDU >> ismember(A, X) % is an array with the same number  
% of elements as A, with True at common elements. So ismember  
% compares its first argument to the second and returns a vector  
% having the same number of elements as the first.

ans =

0  
1  
0  
1  
0  
1  
0

EDU >> union(A, B) % all elements common to two arrays, sorted  
% ascending order ترتیب صعودی

ans =

-9  
-7  
-5  
-3  
-1  
1  
2  
3  
4  
5  
6  
7  
8  
9

EDU >> intersect(A,B) % The intersection of two arrays, sorted

31

ans =  
2  
4  
6  
8

EDU >> setdiff(A,B) % The values in A that are not in B, sorted

ans = % A-B

1  
3  
5  
7  
9

EDU >> setxor(A,B) % exclusive OR of two arrays, sorted

ans = -9 % اختلاف بين A و B  
-7 OR فقط  
-5 و B فقط  
-3  
-1  
1  
3  
5  
7  
9